## Paper

# Memory Bandwidth Constrained Overlapped Block Motion Compensation for Video Coding 

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#### Abstract

Overlapped block motion compensation (OBMC) is an inter prediction tool that improves coding performance by blending reference samples of the current and neighboring block across the block boundaries. For this mechanism, OBMC increases the reference samples fetched from the external memory on hardware decoders, i.e., memory bandwidth. This is a disadvantage when introducing OBMC to video coding standards such as VVC, especially for mobile devices with limited batteries, because the extended memory bandwidth increases decoders' power consumption. In this paper, we propose a memory bandwidth constrained OBMC method with adaptive number of motion vectors and interpolation filter taps of the neighboring blocks depending on the current block sizes. Simulation results show that the proposed method achieves $-0.22 \%$ performance improvements over VVC reference software without exceeding the maximum memory bandwidth of VVC, which is comparable to the full performance of OBMC (-0.33 \%) , requiring 3.8 times its memory bandwidth.


Key words: video coding, memory bandwidth, inter prediction, overlapped bock motion compensation, versatile video coding

## 1. Introduction

Highly efficient video coding is indispensable as data traffic for video streaming services increases due to the spread of mobile devices, broadband internet access, and demand for ultra high-definition (UHD) video ${ }^{11}$. Video coding is developed by considering the trade-off between service requirements and encoder/decoder specifications, i.e., coding performance and complexity such as processing time and memory bandwidth. In particular, since memory bandwidth is proportional to power consumption, the memory bandwidth reduction is essential for battery-powered mobile devices ${ }^{2 / 3) 4)}$. Various international standards of video coding have been developed by a joint team of VCEG of ITU-T and MPEG of ISO/IEC. High efficiency video coding (HEVC) developed in $2013^{5}$ ) is currently widely used for UHD video streaming over broadband networks (e.g., fixed and satellite), whereas versatile video coding (VVC) developed in $2020^{6)}$ is being considered for that over narrowband networks (e.g., terrestrial and mobile). Both HEVC and VVC are organized by the partitioning of a picture into smaller blocks, block-wise

[^0]inter predictions such as motion compensation (MC), intra predictions, transforms, and in-loop filters.

In the block-wise MC of HEVC and VVC, called regular MC (RMC), predicted sample values near the block boundary are discontinued when the motion vectors of current blocks and neighboring blocks ( $m v_{\mathrm{C}}$ and $m v_{\mathrm{N}}$ hereinafter) differ. Overlapped block motion compensation (OBMC) and de-blocking filters (DBF) are well-known solutions to this problem. As shown in Fig. 1, OBMC blends the predicted samples generated by $m v_{\mathrm{N}}$ across the block boundary into those generated by $m v_{\mathrm{C}}$ to reduce the block discontinuities ${ }^{78)}$. In contrast, DBF directly smooths block boundaries of the reconstructed blocks generated by the predicted blocks and residual blocks ${ }^{5) 6}$. OBMC and DBF provide additive improvements because of their different mechanisms but OBMC has not yet been adopted in HEVC and VVC due to the issue of increasing the number of reference samples, which is approximated as memory bandwidth ${ }^{9) 10)}$. We, therefore, focus on the memory bandwidth constrained OBMC method for further improvements of VVC. As that related work, uni-prediction based OBMC (i.e., OBMC using only one $m v_{\mathrm{C}}$ and one $\left.m v_{\mathrm{N}}\right)^{11)}$ was proposed but not adopted in VVC. This is because it significantly reduces the coding performance improvement with bitrate saving (coding gain hereinafter) of the bi-prediction based


Fig. 1 A mechanism of OBMC. C, N, and R denote the current blocks, neighboring blocks, and reference blocks, respectively. Shaded areas represent the extended reference sample areas against $R$ when interpolation filters are required, that is when $m v_{\mathrm{C}}$ and $m v_{\mathrm{N}}$ indicate non-integer-sample positions, respectively.

OBMC (i.e., OBMC using two $m v_{\mathrm{C}}$ and two $\left.m v_{\mathrm{N}}\right)^{12)}$.
To tackle the problem, we propose a uni-prediction based OBMC method with adaptive number of motion vectors and interpolation filter taps of the neighboring blocks ( $n_{\mathrm{N}}$ and $t_{\mathrm{N}}$ ) depending on the current block sizes. Specifically, we generalize the proposed method as an objective function that maximizes the coding performance with $n_{\mathrm{N}}$ and $t_{\mathrm{N}}$ as variables, while not exceeding the worst-case upper limit of the memory bandwidth ( $M_{\mathrm{Wst}}$ ) on RMC and OBMC as the constraint. In this paper, we implemented the proposed method into the VVC reference software by setting the constraint as $M_{\mathrm{Wst}}$ of VVC $\left(M_{\mathrm{WstVVC}}\right)$ as an example. Simulation results show that the proposed method provides an additional coding gain over VVC reference software ( $-0.22 \%$ ). This gain is comparable to that of bi-prediction based OBMC ( $-0.33 \%$ ) requiring 3.8 times the maximum memory bandwidth of VVC, and is still greater than that of uni-prediction based OBMC (-0.12 \%).

The rest of this paper is organized as follows. Memory bandwidth and related work are explained in Sec. 2. The problems are shown in Sec. 3. Section 4 presents the details of the proposed method. Section 5 describes the experimental results and discussion. Finally, we conclude the paper in Sec. 6.

## 2. Memory Bandwidth and Related Work

### 2.1 Memory Bandwidth

An architecture of the general video decoder including the portions for the inter prediction, intra prediction, and inverse transform, in-loop filter, and picture buffer, is shown in Fig. 2. The function of RMC of HEVC and VVC is included in the inter prediction


Fig. 2 An example of the architecture for the general video decoder.
and the reference samples for RMC are obtained from the picture buffer. As the video services achieve higher definition, an external memory is now commonly used for the picture buffer to store the reference picture in the hardware video decoder ${ }^{4)}$. This throughput of the access from the external memory to the main chip on the hardware video decoder is called the memory bandwidth.
For the hardware video decoder, the memory bandwidth is designed by the $M_{\text {Wst }}$ since it cannot be changed after manufacturing. In general, the $M_{\text {Wst }}$ is approximated to be the maximum number of reference samples required for a predicted sample of RMC, as well as the related works ${ }^{9) 10}$. Hence, $M_{\text {Wst }}$ is increased when more reference samples need to be fetched with the interpolation filter than the number of samples within the prediction block. In other words, the smaller the blocks are, the larger $M_{\mathrm{Wst}}$ becomes. The reduction of the $M_{\text {Wst }}$ is critical especially for the mobile devices since it saves on power consumption ${ }^{2) 3(4)}$.

## 2. 2 Factors Increasing Memory Bandwidth

The $M_{\text {Wst }}$ for RMC is varied depending on the number of motion vectors and the interpolation filter taps of the current blocks ( $n_{\mathrm{C}}$ and $t_{\mathrm{C}}$ ). Regarding $n_{\mathrm{N}}$, the maximum number is two, i.e., bi-prediction, and it is utilized in HEVC and VVC, for example. When $n_{\mathrm{N}}$ is two, the required reference samples become double as shown in Fig. 3(a) and (b). Regarding $t_{\mathrm{N}}$, 8-tap and 4-tap filters are used for generating the predicted samples of the luma and chroma components, respectively. As $t_{\mathrm{N}}$ becomes longer, the required reference samples are increased as shown in Fig. 3(c) and (d).

The $M_{\mathrm{Wst}}$ for RMC also depends on the current block sizes. VVC diversifies the block partitioning including non-square shape, not in HEVC, so that selects the coding block size from the minimum $4 \times 4$


Fig. 3 Examples of the memory bandwidth required for RMC of the current blocks increased by three factors, i.e., the number of motion vectors, the number of interpolation filter taps, and the size of the current block against the size of pipeline processing for RMC. C, R, and shaded areas denote current blocks, reference blocks, and extended reference sample areas by interpolation filter against R, respectively. (a) Uni-prediction, (b) Bi-prediction, (c) 4-tap filter, (d) 8-tap filter, (e) an RMC pipeline organized by one $16 \times 16$ current block, and (f) an RMC pipeline organized by four $8 \times 8$ current blocks.
to the maximum $128 \times 128$ samples, for instance ${ }^{6}$. The extension of the block sizes increases the required internal memory, storing the reference samples from the external memory, of the main chip on the hardware video decoder ${ }^{13)}$. The RMC of the current block is generally conducted at the subblock level to reduce the required internal memory sizes. The maximum size of the subblock is defined as $16 \times 16$ samples by decoder-side motion vector refinement (DMVR) in VVC. This means that each $16 \times 16$ predicted sample value in RMC is always the same as the non-subblock-wise RMC, and it assures the $16 \times 16$ sample-wise pipeline processing within RMC.

The reference samples for the pipeline processing of RMC are fetched from the external memory all at once. Hence, the more the current block consists of the multiple smaller size blocks, the more the reference samples are required as shown in Fig. 3(e) and (f). To reduce the $M_{\mathrm{Wst}}$, the minimum block sizes for the uni-prediction and bi-prediction of VVC are constrained by $4 \times 8 / 8 \times 4$ and $8 \times 8$, respectively ${ }^{6}$.

### 2.3 Overlapped Block Motion Compensation

OBMC increases the memory bandwidth since the reference samples of neighboring blocks are required compared to those of only RMC. In addition to $n_{N}$ and $t_{\mathrm{N}}$ for OBMC as in RMC, the reference samples required for OBMC are determined by the application locations and blending lines as shown in Fig. 4(a) and (b).

The original method of $\mathrm{OBMC}^{7)^{8}}$ does not prohibit the application of OBMC to the current block boundaries on all four sides (e.g., top, left,
(a)

(c)

(b)

(d)


Fig. 4 Examples of the memory bandwidth required for OBMC of the current blocks increased by two factors, i.e., OBMC applicable locations and blending lines. C , and sky-blue area denote current blocks and OBMC blending area. (a) Only top and left sides, (b) all sides, (c) 2-lines, (d) 4-lines.
right, and bottom), which is sometimes called non-causal $\mathrm{OBMC}^{14)}$. The non-causal OBMC raises another implementation issue except for the memory bandwidth. Specifically, the blending for the right and bottom side in the non-causal OBMC increases an encoding and decoding delay for block-wise processing in raster-scan order. In addition, for parallel processing, the non-causal OBMC needs to fetch ahead in the lower right blocks, but this requires storage for a large number of reference samples, which increases the internal memory size. To address the problem, the causal OBMC where OBMC can be applied only for the top and left sides is proposed ${ }^{15)}$. In this paper, we follow the causal OBMC since we focus on the practical OBMC method.

Another method following the causal OBMC method but enabling the various size blocks including


Fig. 5 An example of the SbOBMC. C and N denote the current block and neighboring blocks. Shaded and non-shaded subblocks indicate SbOBMC applied and non-applied subblocks.
non-square shaped types is proposed as shown in Fig. 5 to realize the coding performance beyond HEVC (Chen2015 hereinafter) ${ }^{16)}$. Chen2015 newly introduces the $4 \times 4$ subblock-wise OBMC to correspond the neighboring blocks with various block sizes and prediction modes (i.e., inter or intra). The $4 \times 4$ subblock-wise OBMC (SbOBMC) enables a detailed applicable determination depending on the prediction modes and similarity of the motion vector of the neighboring blocks as shown in Fig. $5^{16)}$. The SbOBMC applicable determination is conducted only when OBMC is determined to be applicable in a coding block, which is identified by a block-wise obmc_flag signaled from the encoder. For the signaling obmc_flag, the encoder calculates the rate-distortion (RD) costs with and without OBMC applied after determining whether the current block is uni-prediction or bi-prediction.

Furthermore, Chen2015 proposes adjusting the OBMC blending lines depending on the current block sizes to reduce the $M_{\text {Wst }}$. Specifically, Chen2015 utilizes 4 lines when the width or height of the current block is larger than 8 samples, otherwise it utilizes 2 lines. However, Chen2015 can apply OBMC even for bi-prediction current blocks having bi-prediction neighboring blocks, which increases the $M_{\text {Wst }}$ against RMC in the small size current blocks.

To solve this problem, uni-prediction based OBMC is proposed (Lin2019 hereinafter) ${ }^{11)}$. Lin2019 enables OBMC only for uni-prediction current blocks having a uni-prediction neighboring block. In order to maintain the OBMC application rates, Lin2019 can apply OBMC for uni-prediction current blocks having bi-prediction neighboring blocks by converting neighboring blocks from bi-prediction to uni-prediction based on the distance between the current and reference pictures.

Lin2019 further proposes prohibiting the application of OBMC for $4 \times 8 / 8 \times 4$ blocks to reduce the $M_{\text {Wst }}$.

## 3. Problem Statement

In this section, first, we derive the formula to calculate the $M_{\mathrm{Wst}}$ for RMC and OBMC, and analyze the $M_{\mathrm{Wst}}$ of Chen2015 and Lin2019, when implemented in VVC as an example. Second, we ascertain the bottle-neck of OBMC by changing $t_{\mathrm{N}}$ in these two methods.

The memory bandwidth of the final inter predicted $W \times H$ sample block $M_{\text {Inter }}^{W \times H}$ can be calculated depending on whether OBMC is applicable or not as

$$
M_{\text {Inter }}^{W \times H}= \begin{cases}M_{\mathrm{RMC}}^{W \times H}+M_{\mathrm{OBMC}}^{W \times H} & \text { if applicable },  \tag{1}\\ M_{\mathrm{RMC}}^{W \times H} & \text { otherwise },\end{cases}
$$

where $W, H, M_{\mathrm{RMC}}^{W \times H}$, and $M_{\text {OBMC }}^{W \times H}$ denote the width of the current block, the height of the current block, the memory bandwidth of RMC, and the memory bandwidth of OBMC, respectively. Here, $M_{\mathrm{RMC}}^{W \times H}$ can be calculated as

$$
\begin{align*}
M_{\mathrm{RMC}}^{W \times H}= & \left(W+t_{\mathrm{C}}-1\right) *\left(H+t_{\mathrm{C}}-1\right) \\
& * n_{\mathrm{C}} *\left(\frac{P}{W * H}\right), \tag{2}
\end{align*}
$$

where $P$ indicates the number of samples for the pipeline processing of RMC, which depends on the implementation, and $16 \times 16$ samples are provided in the VVC case as described in Sec. 2.2. $M_{\text {OBMC }}^{W \times H}$ can also be calculated as

$$
\begin{align*}
M_{\mathrm{OBMC}}^{W \times H}= & \left(M_{\mathrm{OBMC}_{\mathrm{T}}}^{W \times 1} * \frac{W}{w}+M_{\mathrm{OBMC}_{\mathrm{L}}}^{W \times H} * \frac{H}{h}\right) \\
& * n_{\mathrm{N}} *\left(\frac{P}{W * H}\right), \tag{3}
\end{align*}
$$

where $M_{\text {OBMC }_{T}}^{W \times H}, M_{\text {OBMC }_{\mathrm{L}}}^{W \times H}, w$, and $h$ represent the memory bandwidth of OBMC for the top-side block boundary, the memory bandwidth of OBMC for the left-side block boundary, the width of SbOBMC, and the height of SbOBMC, respectively. Finally, $M_{\text {OBMC }_{\text {T }}}^{W \times H}$ can be calculated as

$$
\begin{align*}
M_{\mathrm{OBMC}_{\mathrm{T}}}^{W \times H}= & \left(w+t_{\mathrm{N}}-1\right) \\
& *\left[\min \left(\frac{h}{l_{1}}, l_{2}\right)+t_{\mathrm{N}}-1\right] . \tag{4}
\end{align*}
$$

Here, $l_{1}$ and $l_{2}$ indicate OBMC blending lines for smaller size blocks and larger size blocks, respectively. $M_{\text {OBMC }_{\mathrm{L}}}^{W \times H}$ can also be calculated as $M_{\text {OBMC }_{\mathrm{T}}}^{W \times H}$.

Table 1 and Fig. 6 show the $M_{\text {Wst }}$ of Chen 2015 and Lin2019 calculated with the derived formula,

| Method | $s_{\text {min } / \text { Uni }}$ | $s_{\text {min } / \mathrm{Bi}}$ | $n_{\text {C }}$ | $n_{\text {N }}$ |
| :---: | :---: | :---: | :---: | :---: |
| Chen2015 | $4 \times 8$ | $8 \times 8$ | 2 | 2 |
| Chen2015/PhbtC | $4 \times 8$ | $8 \times 8$ | 1 | 2 |
| Chen2015/PhbtCN | $4 \times 8$ | $8 \times 8$ | 1 | $1(2 \rightarrow 1)$ |
| Lin2019 | $8 \times 8$ | - | 1 | $1(2 \rightarrow 1)$ |



Fig. 6 Analysis of the $M_{\text {Wst }}$ for each OBMC method using $2,4,6$, and 8 -tap interpolation filters fixedly.
including non-proposed $t_{\mathrm{N}}$ and considering VVC. For the detailed analysis, $M_{\text {Wst }}$ of two additional conditions based on Chen2015 is compared as described in "Chen2015/PhbtC" and "Chen2015/PhbtCN" in Fig. 6. Chen2015/PhbtC introduces OBMC prohibition for the bi-prediction current blocks, i.e., OBMC can be applied for uni-prediction current blocks having a bi-prediction or uni-prediction neighboring block in this method. In contrast, Chen2015/PhbtCN further introduces OBMC prohibition for uni-prediction current blocks having bi-prediction neighboring blocks, i.e., OBMC can be applied only for uni-prediction current blocks having uni-prediction neighboring blocks in this method. The difference of the OBMC applicable condition for each method is shown in Table. 1. All $M_{\text {Wst }}$ is calculated using only the luma component to simplify the comparison. The $M_{\mathrm{WstVVC}}$ is 2,024 $(=(16+7) *(4+7) * 2 *(16 * 16) /(4 * 16))$ reference samples, which are required in RMC for four sets of the bi-prediction $4 \times 16 / 16 \times 4$ current block with an 8-tap interpolation filter. Note that VVC has a $4 \times 4$ block-wise MC, i.e., affine MC, but its required memory bandwidth is constrained so as not to exceed the $M_{\mathrm{WstVVC}}{ }^{17}$. Therefore, we focus on the RMC and OBMC.

From Fig. 6, it is clear that the bottle-neck is the
application of OBMC for the bi-prediction current blocks having bi-prediction neighboring blocks since the $M_{\mathrm{Wst}}$ of Chen2015 exceeds the $M_{\mathrm{WstVVC}}$ by over 3.8 times ( $\simeq 7,744 / 2,024$ ) with the 8-tap filter and more than 1.7 times $(\simeq 3,520 / 2,024)$ even with the 2-tap filter. This is because $M_{\text {OBMC }}^{W \times H}$ is purely added into the $M_{\mathrm{WstVVC}}$ in Chen2015. Chen2015/PhbtC still exceeds the $M_{\mathrm{WstVVC}}$ even with the 2-tap filter, whereas Chen2015/PhbtCN and Lin2019 with the 2-tap filter become smaller than the $M_{\mathrm{WstVVC}}$. This means that uni-prediction based OBMC with the 2-tap filter can reduce the $M_{\text {Wst }}$ lower than $M_{\mathrm{WstVVC}}$. However, $n_{\mathrm{N}}$ and $t_{\mathrm{N}}$ have room to be adaptive in the larger size blocks since the required memory bandwidth becomes smaller in these blocks.

## 4. Proposed Method

We propose a memory bandwidth constrained OBMC method with an adaptive number of motion vectors and interpolation filter taps of the neighboring blocks depending on the current block sizes (i.e., $n_{\mathrm{N}}^{W \times H}$ andt $t_{\mathrm{N}}^{W \times H}$ ), with the aim of retaining the potential coding performance of OBMC while constraining $M_{\text {OBMC }}^{W \times H}$. In this paper, we tried to generalize the proposed method ${ }^{18)}$ as an objective function that maximizes $M_{\text {Inter }}^{W \times H}$ with the $n_{\mathrm{N}}^{W \times H}$ and $t_{\mathrm{N}}^{W \times H}$ as variables such that the constraint, $M_{\text {Inter }}^{W \times H}\left(n_{N}, t_{N}\right)<M$, is satisfied. Here, $M$ is an arbitrary memory bandwidth. This is because maximizing $n_{\mathrm{N}}^{W \times H}$ and $t_{\mathrm{N}}^{W \times H}$ contributes to increasing the coding gain of OBMC. The proposed method can be generalized as the following formula:

$$
\begin{gather*}
\hat{n}_{\mathrm{N}}^{W \times H}, \hat{t}_{\mathrm{N}}^{W} \times H=\underset{n_{\mathrm{N}}, t_{\mathrm{N}}}{\operatorname{argmax}} M_{\mathrm{Inter}}^{W \times H}\left(n_{\mathrm{N}}^{W \times H}, t_{\mathrm{N}}^{W \times H}\right) \\
\text { s.t. } M_{\text {Inter }}^{W \times H}\left(n_{\mathrm{N}}^{W \times H}, t_{\mathrm{N}}^{W \times H}\right)<M, \tag{5}
\end{gather*}
$$

where $\hat{n}_{\mathrm{N}}^{W \times H}$ and $\hat{t}_{\mathrm{N}}^{W \times H}$ are the maximized combination of the interpolation filter taps and number of motion vectors of neighboring blocks for each current block size, $W \times H$, as an output of the formula.

The flowchart of the searching algorithm for the combination of $\hat{n}_{\mathrm{N}}^{W \times H}$ and $\hat{t}_{\mathrm{N}}^{W \times H}$ is shown in Fig. 7 . Mainly, the flowchart consists of the following seven steps.

S1) Maximize the value of $n_{\mathrm{N}}^{W \times H}$ and proceed to S2
S2) Maximize the value of $t_{\mathrm{N}}^{W \times H}$ and proceed to S3
S3) Evaluate whether the constraint is satisfied with the current $n_{\mathrm{N}}^{W \times H}$ and $t_{\mathrm{N}}^{W \times H}$, and if so, determine them as $\hat{n}_{\mathrm{N}}^{W \times H}$ or $\hat{t}_{\mathrm{N}}^{W \times H}$, and proceed to S7. If not, proceed
to S4
S4) Evaluate whether $t_{\mathrm{N}}^{W \times H}$ is the minimum value, and if so, proceed to S5. If not, reduce $t_{\mathrm{N}}^{W \times H}$, and return to S3

S5) Evaluate whether $n_{\mathrm{N}}^{W \times H}$ is the minimum value, and if so, proceed to S6. If not, reduce $n_{\mathrm{N}}^{W \times H}$, and return to S2

S6) Evaluate whether the constraint is satisfied with the current $n_{\mathrm{N}}^{W \times H}$ and $t_{\mathrm{N}}^{W \times H}$, and if so, determine them as $\hat{n}_{\mathrm{N}}^{W} \times H$ and $\hat{t}_{\mathrm{N}}^{W} \times H$, and proceed to S 7 . If not, determine that none of those that satisfy the constraints have been found, and proceed to S 7 Here, the reason for prioritizing $n_{\mathrm{N}}^{W \times H}$ over $t_{\mathrm{N}}^{W \times H}$ in this search algorithm is that $n_{\mathrm{N}}^{W \times H}$ has a greater impact on coding performance. Note that whether OBMC is applied or not is finally determined by obmc_flag signaled by the encoder in the proposed method.

As an example, in this paper, the OBMC applicable conditions without exceeding 1.0 and 1.5 times $M_{\text {WstVVC }}$ (the "Proposal" and "Proposal $/ 1.5 \times M_{\text {WstVVC }}$ hereinafter) are derived from the formula provided that these memory bandwidths are given as the arbitrary memory bandwidth $M$. Figure 8 shows the actually derived OBMC applicable conditions without exceeding 1.0 and 1.5 times $M_{\mathrm{WstVVC}}$, i.e., $\hat{n}_{\mathrm{N}}^{W \times H}$ and $\hat{t}_{\mathrm{N}}^{W \times H}$ such that the constrains is satisfied in all sizes of the current block. In the proposed OBMC applicable conditions, 2, 4, 6, and 8-tap filters used in VVC can be selected for the $\hat{t}_{\mathrm{N}}^{W} \times H$ of the luma component. For the down-sampled chroma components, the half-tap filter of that for the luma component is utilized but the 2-tap filter is used when the luma filter is 2-tap. In both conditions, OBMC can be applied for the $4 \times 8 / 8 \times 4$ uni-prediction current blocks having uni-prediction neighboring blocks, and for the other size current blocks having bi-prediction neighboring blocks, in which OBMC is prohibited in Lin2019.

The comparison analyses of $M_{\text {Inter }}^{W \times H}$ for each current block size regarding the $\mathrm{RMC}_{\mathrm{Uni}}, \mathrm{RMC}_{\mathrm{Bi}}$, Chen2015, the Lin2019/2-tap, Lin2019, Proposal, and Proposal $/ 1.5 \times M_{\mathrm{WstVVC}}$, are shown in Fig. 9. The Proposal can maximize $M_{\text {Inter }}^{W \times H}$ (including $M_{\text {OBMC }}$ ) without exceeding the $M_{\mathrm{WstVVC}}$ through all size blocks as shown in Fig. 9. This is expected to maintain the potential coding gain of OBMC. The Proposal $/ 1.5 \times M_{\mathrm{WstVVC}}$ can also bring $M_{\text {Inter }}^{W \times H}$ closer to 1.5 times $M_{\text {WstVVc }}$ for small size blocks, but not for larger size blocks (e.g., $64 \times 64,64 \times 128$, and $128 \times 128$ ), which is the same level as the Proposal. This is


Fig. 7 The flowchart of the searching algorithm for the combination of $\hat{n}_{\mathrm{N}}^{W \times H}$ and $\hat{t}_{\mathrm{N}}^{W \times H}$ in the proposed method.


Fig. 8 The proposed OBMC applicable conditions with 1.0 and 1.5 times $M_{\mathrm{WstVVC}}:(\mathrm{I})=1.0$ times $M_{\mathrm{WstVVC}}$ and (II) $=1.5$ times $M_{\mathrm{WstVVC}}$. (a)-(e) indicate the combination of $\hat{n}_{\mathrm{N}}^{W \times H}$ and $\hat{t}_{\mathrm{N}}^{W \times H}:(\mathrm{a})=(1,2),(\mathrm{b})=(2,2),(\mathrm{c})=(2,4)$, $(\mathrm{d})=(2,6)$, and $(\mathrm{e})=(2,8)$. Black areas denote OBMC non-applicable area.
expected to further preserve the potential coding gain in low-resolution sequences with many smaller size blocks. These expectations will be clarified in Sec. 5

## 5. Experimental Results and Discussion

### 5.1 Test Conditions

1) Software Settings: The VVC reference software VTM version $10^{21)}$ (VTM-10) was used as the baseline software in our simulation experiments


Fig. 9 Comparison analysis of the memory bandwidth versus the current block size for each method based on VVC. $\mathrm{RMC}_{\text {Uni }}$ and $\mathrm{RMC}_{\mathrm{Bi}}$ denote RMC for uni-prediction and bi-prediction.
and the proposed method was implemented in the VTM-10. To verify the trade-offs between the coding performance and memory bandwidth, the simulations for a total of nine different methods, i.e., Chen2015, Chen2015/PhbtC, Chen2015/PhbtCN, Lin2019, Lin2019 with 2-8tap filters, the Proposal, and Proposal $/ 1.5 \times M_{\mathrm{WstVVC}}$ were conducted.
2) Encoder Configurations: The coding conditions were basically followed with the VTM Common Test Condition (CTC) ${ }^{22)}$. The random access (RA) configuration, defined in the VTM CTC and utilized for general video transmission, was used since OBMC is an inter prediction tool. The test sequences from classes A to F, as listed in RA of VTM CTC, were used. They are categorized with different resolutions, frame rates, and video content as shown in Table 2. The partial test sequences, listed as Class $\mathrm{A}(\mathrm{A} 1 / \mathrm{A} 2)$ and B in VTM CTC, were encoded by only the first group of pictures in these sequences to reduce the encoding runtime. For each test sequence, four quantization parameter (QP) values 22, 27, 32, and 37 defined in the VTM CTC were used to generate the different rate points.
3) Evaluation Metrics: The coding performance was evaluated by the BD-rate of the luma (BDY) and two chroma (BDU, BDV) components ${ }^{199}{ }^{20)}$. The BD-rate is the evaluation index used to quantify the difference of the generated bitrate for the identical level of peak signal-to-noise ratio (PSNR) between two coding methods. The negative BD-rate values indicate the coding gain with bitrate savings. In other words, the positive value is coding performance loss. The complexity was evaluated by the relative encoding time (EncT) and decoding time (DecT) of the two coding methods measured on a homogeneous cluster PC. Note that the results of Class D and F are not included in
the overall results in accordance with the VTM CTC.

### 5.2 Comparison of Overall Results

The overall results of each method compared to the VTM-10 in RA configuration, which is evaluated by BDY, BDU, BDV, and DecT, are listed in Table 3. In addition, the trade-off between BDY and the $M_{\mathrm{Wst}}$ of each method is shown in Fig. 10.

1) Coding performance: Table 3 shows that all the methods provide the coding gain against the VTM-10. These results prove the OBMC further improves the coding performance beyond VVC. Specifically, Chen2015 (-0.33 \% gain) can be assumed to attain the full coding performance of OBMC. The Proposal achieves its comparable performance (-0.22 \% gain) without exceeding the $M_{\mathrm{WstVVC}}$, which is still better than Lin2019/2-tap (-0.12 \% gain). Proposal $/ 1.5 \times M_{\mathrm{WstVVC}}$ brings the further coding performance ( $-0.25 \%$ gain).

Figure 10 shows that the Proposal achieves a better trade-off than those of the Chen2015 and Lin2019 series in terms of BDY and the $M_{\mathrm{Wst}}$. The reason that the Proposal achieves the best trade-off is discussed as follows. First, the coding gain of the Proposal is smaller than Chen2015/PhbtC but is larger than Chen2015/PhbtCN. Comparing the three methods regarding the OBMC applicable condition, the common difference of the Proposal from the other two methods is that the shorter-tap filter is utilized for the smaller size current blocks. Here, it is clear that the shorter-tap filters do not affect the coding performance from the comparison of the Lin2019 series. As for the Chen2015/PhbtC, the other difference except for the filter is the OBMC prohibition for partial smaller size current blocks having bi-prediction neighboring blocks as in Fig. 8. On the other hand, as for the Chen2015/PhbtCN, the difference except for the filter is the OBMC application for partial larger size current blocks having bi-prediction neighboring blocks as in Fig. 8, which contributes to the coding gain of the Proposal against Chen2015/PhbtCN. In addition, a comparison of Chen2015/PhbtCN and Lin2019 shows that the OBMC application for the $4 \times 8$ size current block having uni-prediction neighboring blocks as in Fig. 8 also contributes to the coding gain of the Proposal against Lin2019.
2) Complexity: Table 3 shows that all methods increase EncT and DecT against the VTM-10. These results prove the OBMC increases the encoding and decoding runtime beyond VVC. Especially, the EncT

Table 2 Details of the VTM CTC test sequences from class $A$ to $F$ categorized by resolutions, frame rates, and video content.

| Class | Resolutions [pixels $\times$ lines] | Frame rates [fps] | Video content |
| :---: | :---: | :---: | :---: |
| A1 | $3840 \times 2160$ | $30-60$ | Camera-captured content (Natural scene) |
| A2 | $3840 \times 2160$ | $50-60$ | Camera-captured content (Natural scene) |
| B | $1920 \times 1080$ | $50-60$ | Camera-captured content (Natural scene) |
| C | $832 \times 480$ | $30-60$ | Camera-captured content (Natural scene) |
| D | $416 \times 240$ | $30-60$ | Camera-captured content (Natural scene) |
| F | $832 \times 480 \sim 1920 \times 1080$ | $20-60$ | Pure screen content (SCC) and mixed SCC and camera-captured content |

Table 3 Overall results of the conventional and proposed methods over VTM-10 in RA configuration, which is evaluated by BDY [\%], BDU [\%], BDV [\%] EncT [\%], and DecT [\%].

| Method | BDY | BDU | BDV | EncT | DecT |
| :--- | ---: | ---: | ---: | ---: | ---: |
| Chen2015 | -0.33 | -1.04 | -0.83 | 105 | 106 |
| Chen2015/PhbtC | -0.27 | -0.57 | -0.57 | 104 | 103 |
| Chen2015/PhbtCN | -0.14 | -0.57 | -0.28 | 105 | 104 |
| Lin2019 | -0.12 | -0.43 | -0.40 | 105 | 104 |
| Lin2019/6-tap | -0.11 | -0.24 | -0.35 | 105 | 104 |
| Lin2019/4-tap | -0.10 | -0.43 | -0.26 | 105 | 103 |
| Lin2019/2-tap | -0.12 | -0.43 | -0.26 | 105 | 103 |
| Proposal | -0.22 | -0.54 | -0.55 | 105 | 103 |
| Proposal/1.5 $\times M_{\text {WstVVC }}$ | -0.25 | -0.64 | -0.61 | 105 | 103 |



Fig. 10 The analysis of the trade-off between BDY [\%] and $M_{\text {Wst }}$ [sample] for each method.
increments of all the methods are not different, whereas the DecT increments of Chen2015 are larger than those of the other methods. This suggests that the OBMC application for the bi-prediction current block clearly further increases only DecT. Regarding EncT, this is because the number of RD cost calculations for OBMC signalling is the same between Chen2015 and Chen2015/PhbtC as described in Sec. 2.3. The reason that DecT of Chen2015/PhbtCN is the same level as Chen2015/PhbtC even with the additional constraint of OBMC is that Chen2015/PhbtCN maintain the OBMC application rates for the uni-prediction current blocks having bi-prediction neighboring blocks, with the conversion from bi-prediction to uni-prediction as described in Sec. 2.3.

### 5.3 Comparison of Sequence-level Results

To analyze the coding gain by OBMC observed in the overall results, the sequence-level results of each method are compared with the VTM-10 as shown in Table 4.

1) Coding performance: First, from the comparison of the average gain for each class, the gain is larger for low-resolution test sequences in common with all methods. This is clear by comparing RaceHorsesC in Class C and RaceHorses in Class D which differ only in resolution. Since the selection rate of smaller size blocks is higher for low-resolution test sequences than for high-resolution test sequences, and the ratio of the OBMC applied area is higher for smaller size blocks than for larger size blocks, more coding gain by OBMC can be obtained. This characteristic is matched with the expectation as described in Sec 1 that Proposal/1.5x can provide more coding gain than the Proposal especially in low resolution sequences due to the extension of filter taps for smaller size blocks.

Second, larger coding gain can be observed in the test sequences with various and complicated motions in a picture such as Tango2, ParkRunning3, MarketPlace, and RaceHorses. Here, Tango2 and Racehorses have several moving objects with different motions, whereas ParkRunning3 and MarketPlace have camera shakes, which easily raise the difference of the motion vectors between the blocks. In contrast, regarding the test sequences without these motions such as BQTerrace and BQSquare, a significant small coding gain or even coding loss can be observed in all the methods except for Chen2015. These tendencies are consistent with the original expected effects of OBMC as described in Sec 1. Moreover, the coding gain of Chen 2015 in BQTerrace and BQSquare suggests that the OBMC application for the bi-prediction current block can further improve the coding performance of these sequences where the bi-prediction is originally effective. Finally, the coding losses of the pure SCC such as SlideEditing and SlideShow can be observed in common with all methods. This is because OBMC overshoots the block boundaries including shape edges in SCC, and it

Table 4 Sequence-level results of Chen2015, Lin2019, the Proposal, Proposal/1.5 $\times M_{\mathrm{WstVVC}}$ over VTM-10 in RA configuration, which is evaluated by BDY [\%], BDU [\%], BDV [\%], EncT [\%], and DecT [\%].

| Sequence | Chen2015 |  |  | Chen2015/PhbtC |  |  | Chen2015/PhbtCN |  |  | Lin2019 |  |  | Proposal |  |  | Proposal/ $1.5 \times M_{\text {WstVVC }}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | BDY | EncT | DecT | BDY | EncT | DecT | BDY | EncT | DecT | BDY | EncT | DecT | BDY | EncT | DecT | BDY | EncT | DecT |
| Tango2 | -0.31 | 105 | 104 | -0.29 | 104 | 100 | -0.10 | 105 | 101 | -0.18 | 104 | 102 | -0.27 | 104 | 101 | -0.30 | 104 | 103 |
| FoodMarket4 | 0.06 | 104 | 104 | -0.06 | 103 | 102 | 0.05 | 104 | 102 | 0.03 | 104 | 102 | -0.07 | 103 | 102 | -0.01 | 103 | 101 |
| CampfireParty2 | -0.20 | 104 | 103 | -0.19 | 104 | 102 | -0.13 | 105 | 102 | -0.15 | 104 | 102 | -0.13 | 104 | 102 | -0.18 | 104 | 101 |
| Average Class A1 | -0.15 | 105 | 104 | -0.18 | 104 | 102 | -0.06 | 104 | 102 | -0.10 | 104 | 102 | -0.16 | 104 | 102 | -0.16 | 104 | 102 |
| CatRobot1 | -0.33 | 106 | 105 | -0.35 | 104 | 102 | -0.14 | 105 | 102 | -0.23 | 105 | 102 | -0.16 | 105 | 102 | -0.41 | 104 | 102 |
| DaylightRoad2 | -0.09 | 106 | 106 | -0.29 | 105 | 103 | -0.05 | 105 | 104 | -0.05 | 105 | 104 | -0.23 | 105 | 103 | -0.26 | 104 | 104 |
| ParkRunning3 | -0.51 | 106 | 107 | -0.37 | 104 | 103 | -0.27 | 105 | 104 | -0.19 | 105 | 103 | -0.35 | 104 | 103 | -0.37 | 105 | 105 |
| Average Class A2 | -0.31 | 106 | 106 | -0.34 | 105 | 102 | -0.15 | 105 | 103 | -0.16 | 105 | 103 | -0.25 | 105 | 103 | -0.34 | 104 | 103 |
| MarketPlace | -0.47 | 106 | 108 | -0.35 | 105 | 104 | -0.18 | 106 | 106 | -0.21 | 105 | 106 | -0.20 | 105 | 105 | -0.32 | 105 | 103 |
| RitualDance | -0.18 | 105 | 105 | -0.19 | 104 | 103 | -0.17 | 105 | 103 | 0.04 | 105 | 107 | -0.13 | 104 | 104 | -0.15 | 104 | 103 |
| Cactus | -0.04 | 106 | 105 | -0.11 | 105 | 104 | 0.07 | 105 | 103 | -0.10 | 105 | 103 | -0.15 | 105 | 104 | -0.14 | 105 | 103 |
| BasketballDrive | -0.16 | 105 | 107 | -0.03 | 104 | 102 | 0.00 | 105 | 103 | 0.02 | 105 | 104 | -0.19 | 104 | 102 | -0.02 | 104 | 99 |
| BQTerrace | -0.43 | 106 | 105 | -0.11 | 104 | 104 | -0.03 | 106 | 103 | 0.10 | 105 | 102 | 0.01 | 105 | 103 | -0.10 | 105 | 102 |
| Average Class B | -0.25 | 106 | 106 | -0.16 | 105 | 103 | -0.06 | 105 | 104 | -0.03 | 105 | 105 | -0.13 | 105 | 104 | -0.14 | 105 | 104 |
| BasketballDrill | -0.65 | 105 | 106 | -0.41 | 104 | 104 | -0.27 | 106 | 104 | -0.24 | 105 | 102 | -0.35 | 105 | 103 | -0.40 | 105 | 106 |
| BQMall | -0.46 | 106 | 107 | -0.36 | 105 | 105 | -0.25 | 106 | 105 | -0.22 | 105 | 105 | -0.35 | 105 | 105 | -0.36 | 106 | 105 |
| PartyScene | -0.60 | 106 | 108 | -0.45 | 105 | 106 | -0.33 | 106 | 105 | -0.20 | 105 | 104 | -0.29 | 105 | 105 | -0.37 | 106 | 106 |
| RaceHorses | -0.55 | 106 | 110 | -0.55 | 105 | 106 | -0.31 | 105 | 107 | -0.23 | 105 | 105 | -0.42 | 105 | 106 | -0.42 | 105 | 106 |
| Average Class C | -0.57 | 106 | 108 | -0.44 | 105 | 105 | -0.29 | 106 | 105 | -0.22 | 105 | 104 | -0.35 | 105 | 105 | -0.39 | 105 | 104 |
| BasketballPass | -0.37 | 106 | 109 | -0.31 | 105 | 106 | -0.17 | 105 | 106 | -0.03 | 105 | 105 | -0.17 | 105 | 106 | -0.26 | 105 | 108 |
| BQSquare | -0.34 | 105 | 105 | -0.19 | 105 | 103 | -0.09 | 106 | 103 | -0.03 | 104 | 101 | 0.06 | 105 | 103 | -0.11 | 104 | 103 |
| BlowingBubbles | -0.63 | 106 | 107 | -0.57 | 105 | 105 | -0.40 | 106 | 105 | -0.25 | 105 | 104 | -0.40 | 105 | 105 | -0.44 | 105 | 106 |
| RaceHorsesC | -0.67 | 106 | 111 | -0.63 | 105 | 108 | -0.55 | 106 | 107 | -0.34 | 106 | 107 | -0.53 | 106 | 108 | -0.59 | 105 | 109 |
| Average Class D | -0.50 | 106 | 108 | -0.42 | 105 | 105 | -0.30 | 106 | 105 | -0.16 | 105 | 104 | -0.26 | 105 | 105 | -0.35 | 105 | 104 |
| BasketballDrillText | -0.42 | 104 | 108 | -0.36 | 103 | 106 | -0.23 | 104 | 105 | -0.15 | 104 | 105 | -0.32 | 104 | 105 | -0.36 | 104 | 108 |
| ArenaOfValor | -0.15 | 104 | 108 | -0.29 | 104 | 105 | -0.28 | 105 | 104 | -0.06 | 104 | 105 | -0.27 | 104 | 105 | -0.26 | 104 | 104 |
| SlideEditing | 0.18 | 101 | 101 | 0.13 | 101 | 102 | 0.13 | 102 | 102 | 0.10 | 102 | 102 | 0.13 | 101 | 101 | 0.15 | 101 | 101 |
| SlideShow | 0.71 | 103 | 102 | 0.51 | 103 | 102 | 0.54 | 103 | 103 | 0.54 | 103 | 102 | 0.53 | 103 | 102 | 0.55 | 103 | 103 |
| Average Class F | 0.08 | 103 | 105 | 0.00 | 103 | 104 | 0.04 | 103 | 103 | 0.11 | 103 | 103 | 0.02 | 103 | 103 | 0.02 | 105 | 104 |
| Overall | -0.33 | 105 | 106 | -0.27 | 104 | 103 | -0.14 | 105 | 104 | -0.12 | 105 | 104 | -0.22 | 105 | 103 | -0.25 | 105 | 103 |

consequently degrades the objective qualities. We can avoid it with the OBMC disabling flag for the overall sequence, for example.
2) Complexity: The same tendency can be observed in DecT as the coding performance, i.e., the low-resolution test sequences have larger DecT. It demonstrates that the high OBMC applied sample rates of these test sequences increases the DecT. In contrast, EncT is at the same level for high and low resolution sequences.

## 5. 4 Picture-level Analysis

1) Rate-distortion curve characteristics: To analyze the coding gains and losses as discussed in Sec 5.3, the rate-distortion curve of each method for RaceHorsesC and BQTerrace is compared as shown in Fig. 11. We selected RaceHorsesC and BQTerrace on behalf of the test sequences since they have the clearest tendencies as described in Sec. 5.3.

First, the comparison of each method for RaceHorsesC as shown in Fig. 11(a)-(c) shows that the coding gains of all methods against VTM-10 come from the bitrate savings, not from the improvement of the objective quality. The OBMC removes the discontinuity of the block boundary and decreases the residuals, and consequently reduces the bitrate. The larger bitrate savings can be observed at $\mathrm{QP}=22$ compared to those at $\mathrm{QP}=37$. This is because that small quantization step
of the small QP raises the selection rates of smaller size blocks, and provides the coding gain as well as the effects seen in low-resolution test sequences. In addition, no difference among the Lin2019 series with different $t_{\mathrm{N}}$ corresponds to the discussion in Sec. 5.2.

Second, the comparison of each method for BQTerrace as shown in Fig. 11(d)-(e) shows that the coding gain of Chen2015 against VTM-10 also comes from the bitrate savings. In contrast, the bitrates for the other method are higher than VTM-10 at $\mathrm{QP}=37$, whereas the PSNR for some of those methods is smaller than VTM-10. The signaling overhead for OBMC and the degradation of the objective quality by OBMC prohibition for the bi-prediction current block seem to affect them, respectively.
2) OBMC applied sample rates: To reveal the discussion so far, we compare Chen2015, Lin2019, and the Proposal by two types of ratio of the OBMC applied samples for each current block size as shown in Fig. 12. One is the ratio of OBMC applied samples to the inter frame samples $R_{\mathrm{OBMC} / \text { InterFrame }}$, which can compare the relative number of OBMC applied samples among the three methods, and can evaluate their effects of OBMC. The other is the ratio of OBMC applied samples to inter block samples $R_{\text {OBMC/InterBlock }}$, which can estimate the effect of OBMC depending on the current block sizes. We selected the same test sequences


Fig. 11 Rate distortion curves of the VTM-10 and each method for RaceHorsesC and BQTerrace. (a)-(c) RaceHorsesC, (d)-(f) BQTerrace.


Fig. 12 Comparison analysis of Chen2015, Lin2019, and the Proposal regarding the current block sizes versus a ratio of the OBMC applied samples to the inter frame samples $R_{\text {OBMC/InterFrame }}$ (shown as bar and left axis) and a ratio of those to the inter block samples $R_{\text {OBMC } / \text { InterBlock }}$ (shown as dotted plot and right axis). The number of those samples is the total value generated by the RaceHorsesC/BQTerrace of $\mathrm{QP}=22 / 37$. (a) RaceHorsesC of $\mathrm{QP}=22$, (b) RaceHorsesC of $\mathrm{QP}=37$, (c) BQTerrace of $\mathrm{QP}=22$, and (d) BQTerrace of $\mathrm{QP}=37$.
and QPs as Fig. 11.
Commonly in Fig. 12(a)-(d), the larger current block size is, the higher $R_{\text {OBMC/InterBlock }}$ is, which is consistent with the discussion so far. Especially for RaceHorsesC, clear existences of OBMC applied
samples can be observed in all methods at both $\mathrm{QP}=22$ and $\mathrm{QP}=37$. In all methods, the peaks of $R_{\text {OBMC/InterBlock }}$ shift from smaller size blocks to larger size blocks at $\mathrm{QP}=22$ versus $\mathrm{QP}=37$, but maintain the total $R_{\mathrm{OBMC} / \text { InterBlock }}$, which is the evidence of the
coding gain by OBMC in RaceHorsesC. The number of Chen2015 is significantly higher than those of Lin2019 and the Proposal, while the number of the other two methods is not so different except for $4 \times 8 / 8 \times 4$ current blocks. This corresponds to the reasons which provide the different coding gains for these three methods observed in RaceHorsesC of Table 4 and described in Sec. 5. 3.

As for BQTerrace, the same level of $R_{\mathrm{OBMC} / \text { InterFrame }}$ as that in RaceHorsesC can be observed in Chen2015 at $\mathrm{QP}=22$, while the smaller $R_{\mathrm{OBMC} / \text { InterFrame }}$ as those in RaceHorsesC can be seen in the other two methods. This is consistent with the discussion regarding the OBMC effectivity for the bi-prediction current block in this test sequence as described in Sec. 5.3. At $\mathrm{QP}=37$, most of the OBMC applied samples except for $128 \times 128$ samples are dispensed, which causes no coding in the Proposal or the coding loss shown in Table 4 and described in Sec. 5.3.

## 6. Conclusion

In this paper, we proposed the memory bandwidth constrained OBMC method. The proposed method is generalized as the objective function with the constraint that maximizes the coding performance with the number of motion vectors and interpolation filter taps of the neighboring blocks depending on the current block sizes. The constraint is not to exceed an arbitrary memory bandwidth and we set the worst-case upper-limit of the memory bandwidth of VVC as an example. Simulation results showed that the proposed method achieves an additional coding gain (-0.22 \%) over VVC reference software. This gain is comparable to the full performance of bi-prediction based OBMC ( $-0.33 \%$ ) which requires 3.8 times the memory bandwidth of VVC, and is still better than that of the conventional uni-prediction based OBMC (-0.12 \%).
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